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# Simulation of COVID-19 Potential Outbreak in Lattakia

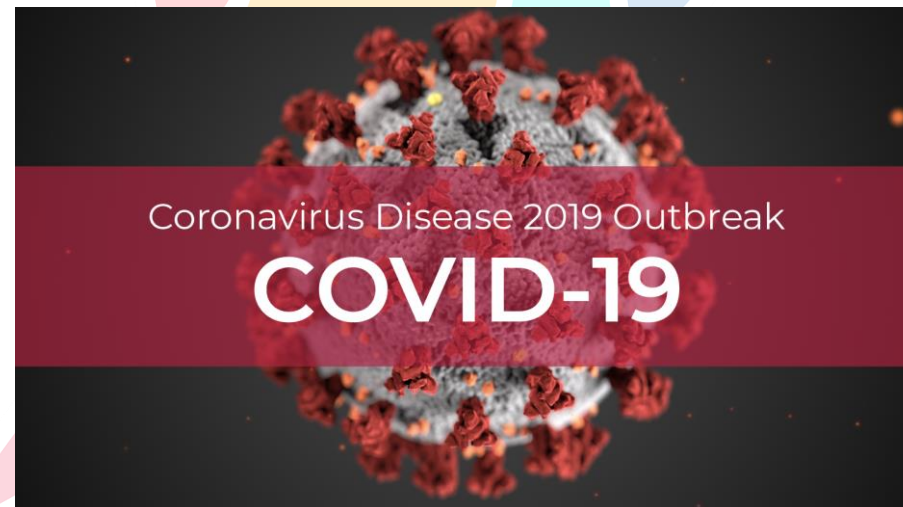
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# Introduction

The rapid spread of the coronavirus now called COVID-19 has sparked alarm worldwide. The World Health Organization (WHO) has declared it a global health emergency, and now a pandemic, with small chains of transmission in many countries and large chains resulting in extensive spread in a few countries.



# Introduction

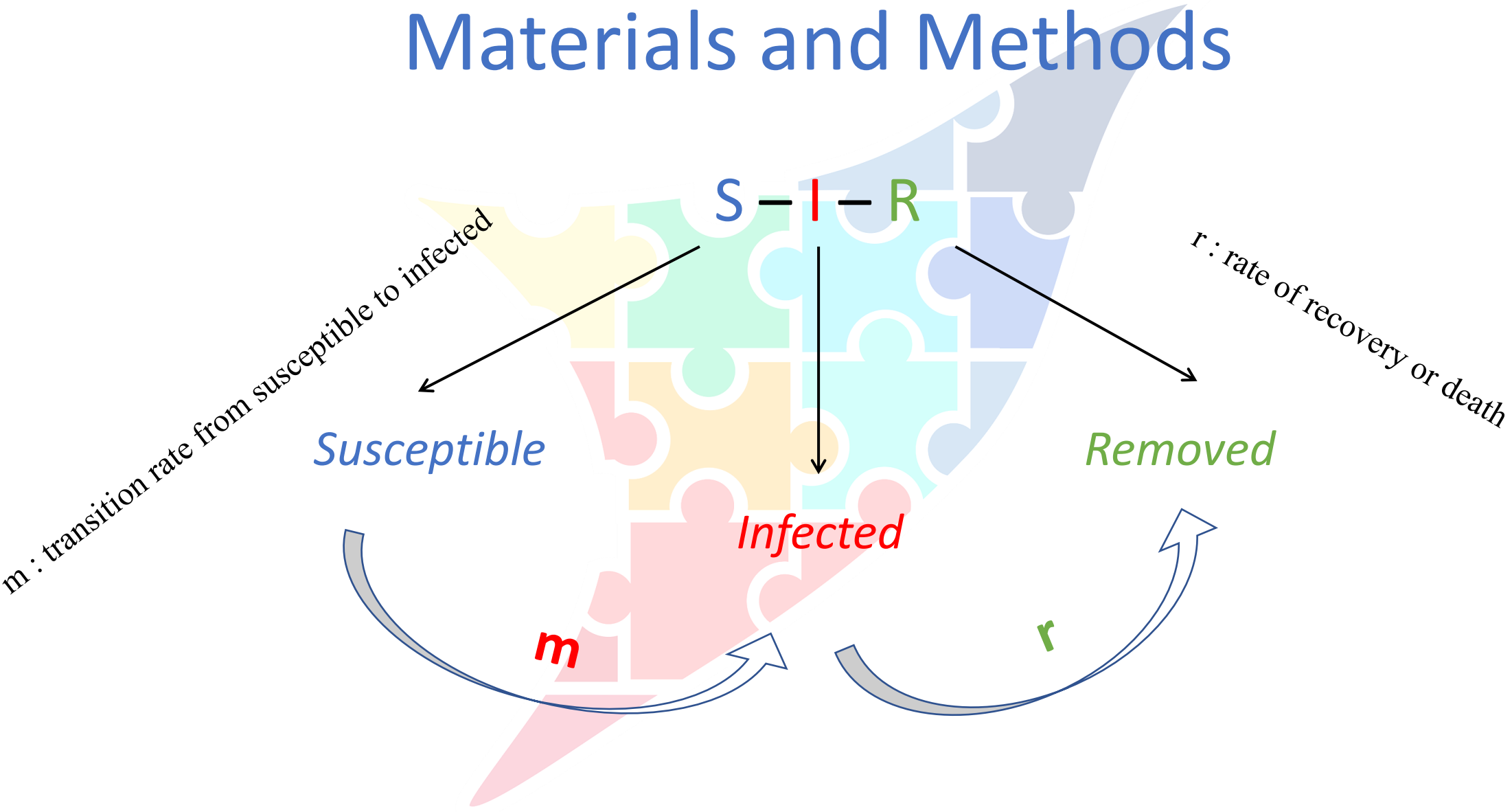


- Mathematical models have been used to simulate scenarios and predict the evolution of infectious diseases since the early 20<sup>th</sup> century.
- The key value of such modelling is to assist with planning and decision-making at an early stage – when prevention measures can have greater impact – but it is also at a time when we have limited information and modelling helps give the best guide to decision makers.

# Introduction

- Until the time of writing this paper, no cases of the virus were recorded by the Syrian Ministry of Health (MoH) or the World Health Organization (WHO) in Lattakia.
- Yet the concerns by local community are rising about the readiness to contain the virus in case of a potential outbreak and the effectiveness of health procedures to be taken.
- In our research, these concerns were investigated using the classical SIR model.

# Materials and Methods



# Materials and Methods

(m) is :

(a) the average percentage of hours per day spent out per person times (b.I/N) the probability of disease transmission in a contact between a susceptible and an infectious subject.

$$m = a \cdot b \cdot \frac{I}{N}$$

$$r = \frac{1}{D}$$

And (r) is the rate of recovery or death; one over recovery time (D). For COVID-19 D=14.

Note that (N) is the total population. We assume it to be constant because the dynamics of birth and death are omitted.

$$N = S + I + R$$

# Materials and Methods

Let's do the math.. 3 ordinary differential equations (ODEs)

$$\frac{dS}{dt} = -m \cdot S = -a \cdot b \cdot \frac{I}{N} \cdot S$$

$$\frac{dR}{dt} = r \cdot I = \frac{I}{D}$$

$$\frac{dI}{dt} = m \cdot S - r \cdot I = I \cdot \left( a \cdot b \cdot \frac{S}{N} - \frac{1}{D} \right)$$

# Materials and Methods

How does a pandemic start in the first place?

At time  $t \approx 0 \rightarrow S \approx N \rightarrow$

$$\frac{dI}{dt} = I \cdot \left( a \cdot b \cdot \frac{S}{N} - \frac{1}{D} \right)$$

$$\frac{dI}{dt} = \frac{I}{D} \cdot (a \cdot b \cdot D - 1)$$

$$\frac{dI}{dt} > 0 \leftrightarrow a \cdot b \cdot D > 1$$

$a \cdot b \cdot D$  is called  $R_0$  or  
basic reproduction  
number



# Materials and Methods

Time for MATLAB.. Let's apply sequences

The differential equations were revised into discrete time difference equations:

$$S(t+1) - S(t) = - a * b * ( I(t)/N )$$

$$I(t+1) - I(t) = S(t) * a * b/N - (1/d)$$

$$R(t+1) - R(t) = ( I(t)/d )$$

# Materials and Methods

```
prompt = 'percentage of hours per
day spent out?';
a = input(prompt);
prompt = 'the possibility of
getting the epidemic when meeting
an infected person?';
b = input(prompt);
prompt = 'the recovery time?';
d = input(prompt);
prompt = 'the total population?';
N = input(prompt);
prompt = 'the susceptible
population?';
S0 = input(prompt);
prompt = 'the Infected
population?';
I0 = input(prompt);
prompt = 'the Recovered
population?';
R0 = input(prompt);
prompt = 'How long would you like
to run the simulation for?';
```

```
t_max = input(prompt);
S = zeros (1, t_max);
I = zeros (1, t_max);
R = zeros (1, t_max);
S (1) = S0; I (1) = I0;
R (1) = R0; T (1) = 0;
for t=1 :1: t_max;
    T(t+1) =t;
    S(t+1) =S(t)*(1-
a*b*(I(t)/N));
    I(t+1) =I(t)*(1 +
S(t)*a*b/N - (1/d));
    R(t+1) =R(t)+(I(t)/d);
end
```

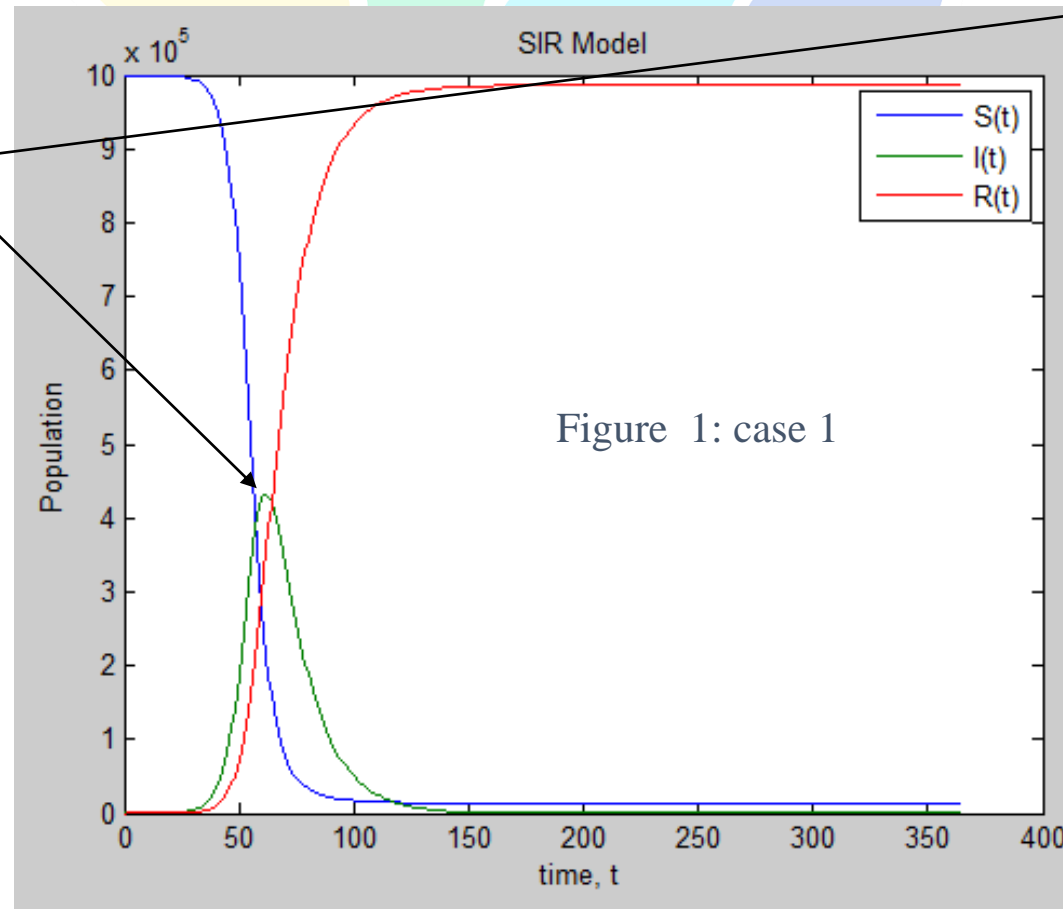
```
disp(max(I));
disp(min(S));
disp(max(R));
plot (T, S, T, I, T,
R);
title ('SIR Model');
legend('S(t)', 'I(t)', 'R
(t)');
xlabel ('time, t');
ylabel ('Population');
```

Let always be: N is a million,  $S_0=999990$ ,  $I_0 = 10$ , time of the simulation is 365 days, recovery or death time is 14 days and 6% of (R) are dead and 94% are recovered

# Results and Discussion

	a	b	$R_0$	Never infected%	Infected then recovered%	Infected then died%	Peak time
<b>Case 1</b>	8 hours/ 0.33	without wearing masks or taking any health measurements/ 0.9	4.158	1.383	92.699	5.918	between days 60 and 65

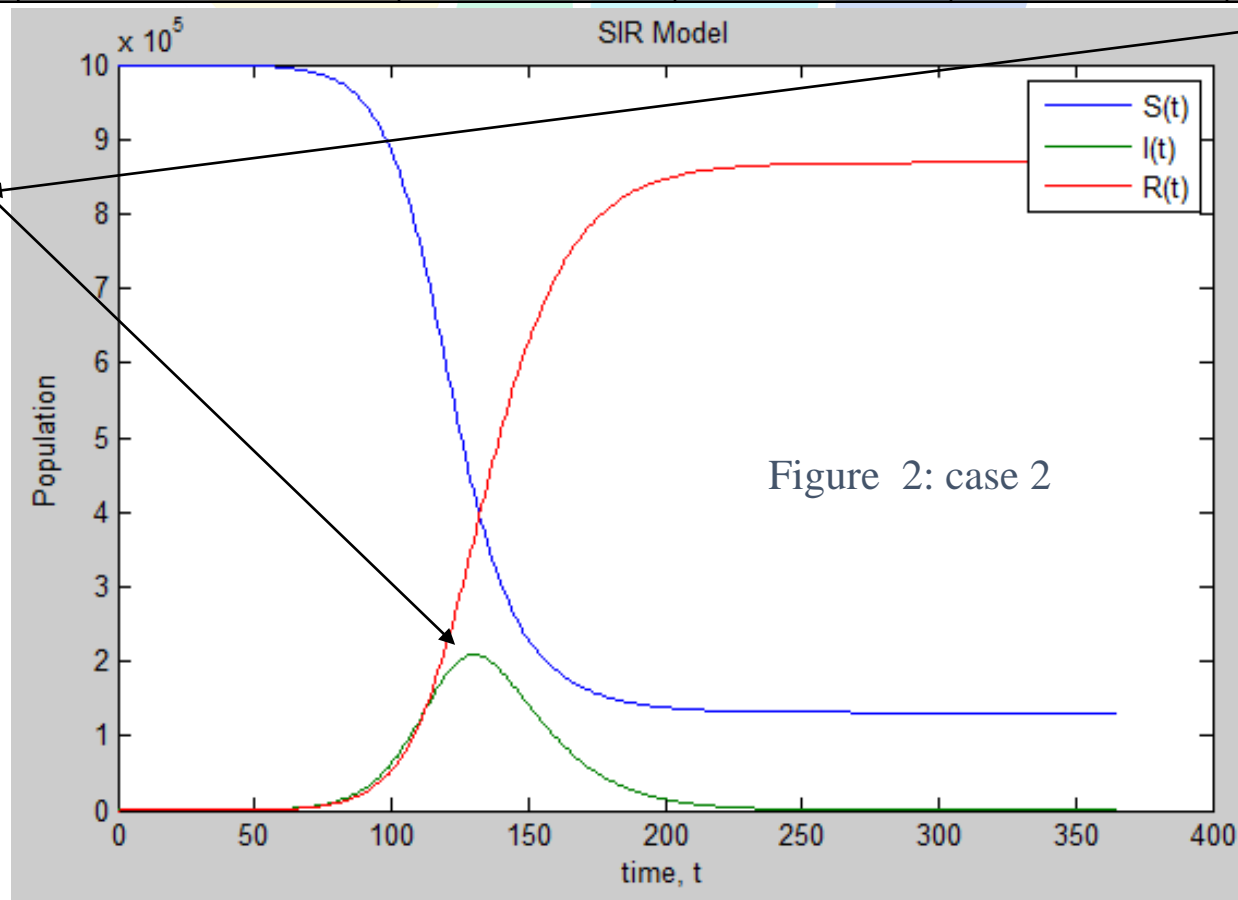
Max (I) : 4.3204e+05



# Results and Discussion

	a	b	R0	Never infected%	Infected then recovered%	Infected then died%	Peak time
<b>Case 2</b>	8 hours/ 0.33	wearing masks or taking any health measurements/ 0.5	2.31	13.137	81.651	5.212	between days 128 and 133

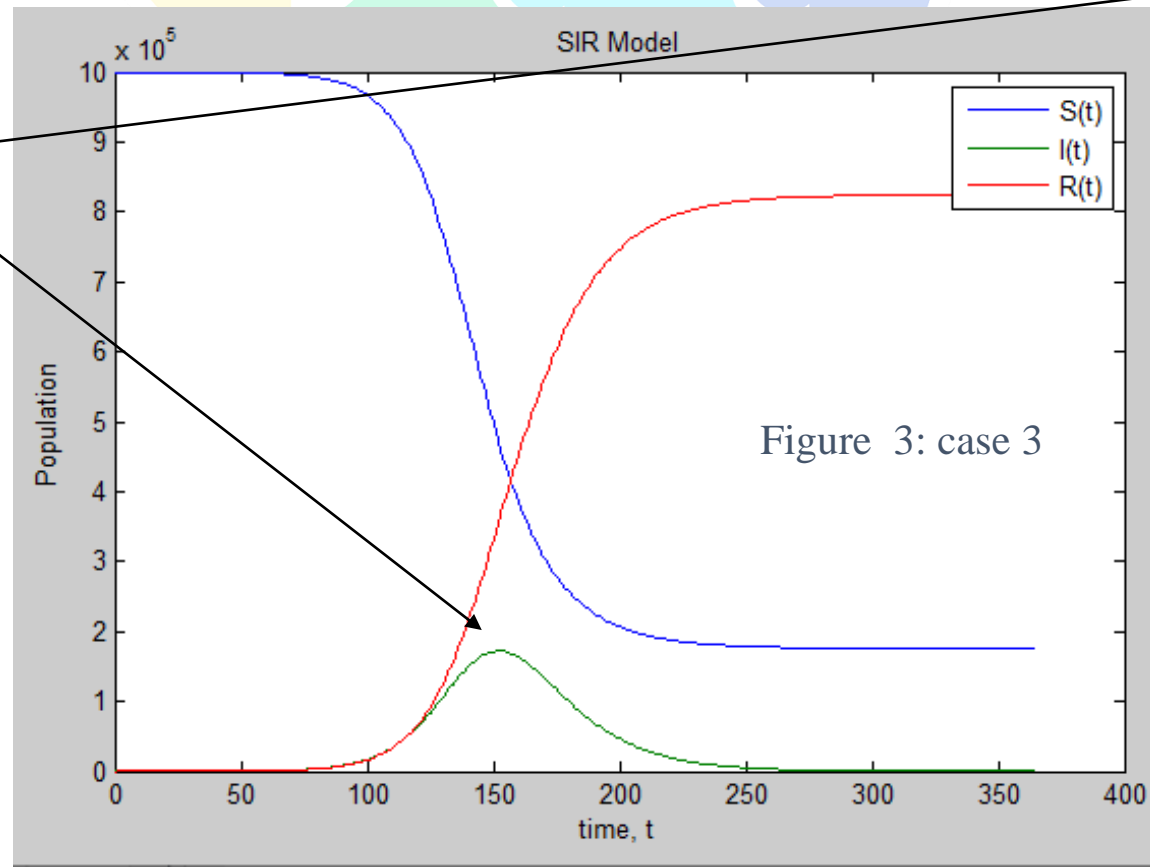
Max I : 2.0894e+05



# Results and Discussion

	a	b	R0	Never infected%	Infected then recovered%	Infected then died%	Peak time
<b>Case 3</b>	4 hours/ 0.166	without wearing masks or taking any health measurements/ 0.9	2.0916	17.571	77.483	4.946	between days 149 and 154

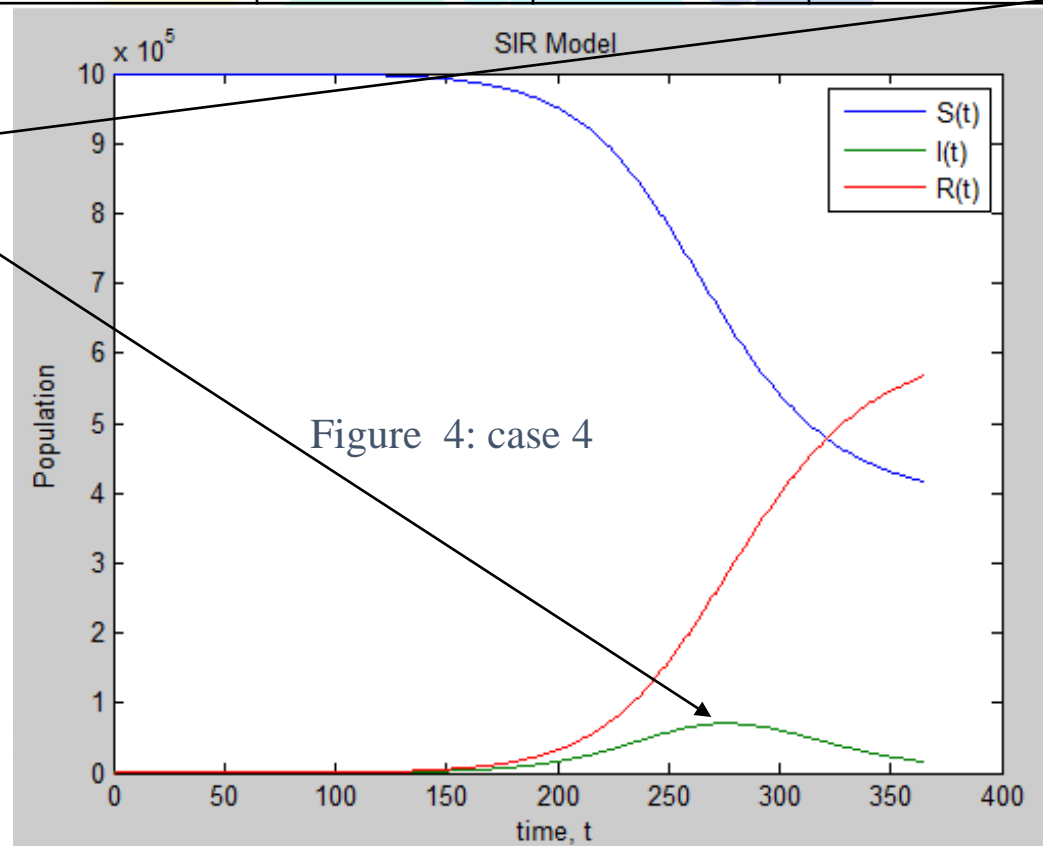
Max I : 1.7220e+05



# Results and Discussion

	a	b	R0	Never infected%	Infected then recovered%	Infected then died%	Peak time
<b>Case 4</b>	3.75 hours/ 0.157	enough wearing masks or taking any health measurements/ 0.7	1.54	39.06	57.283	3.657	between days 274 and 279

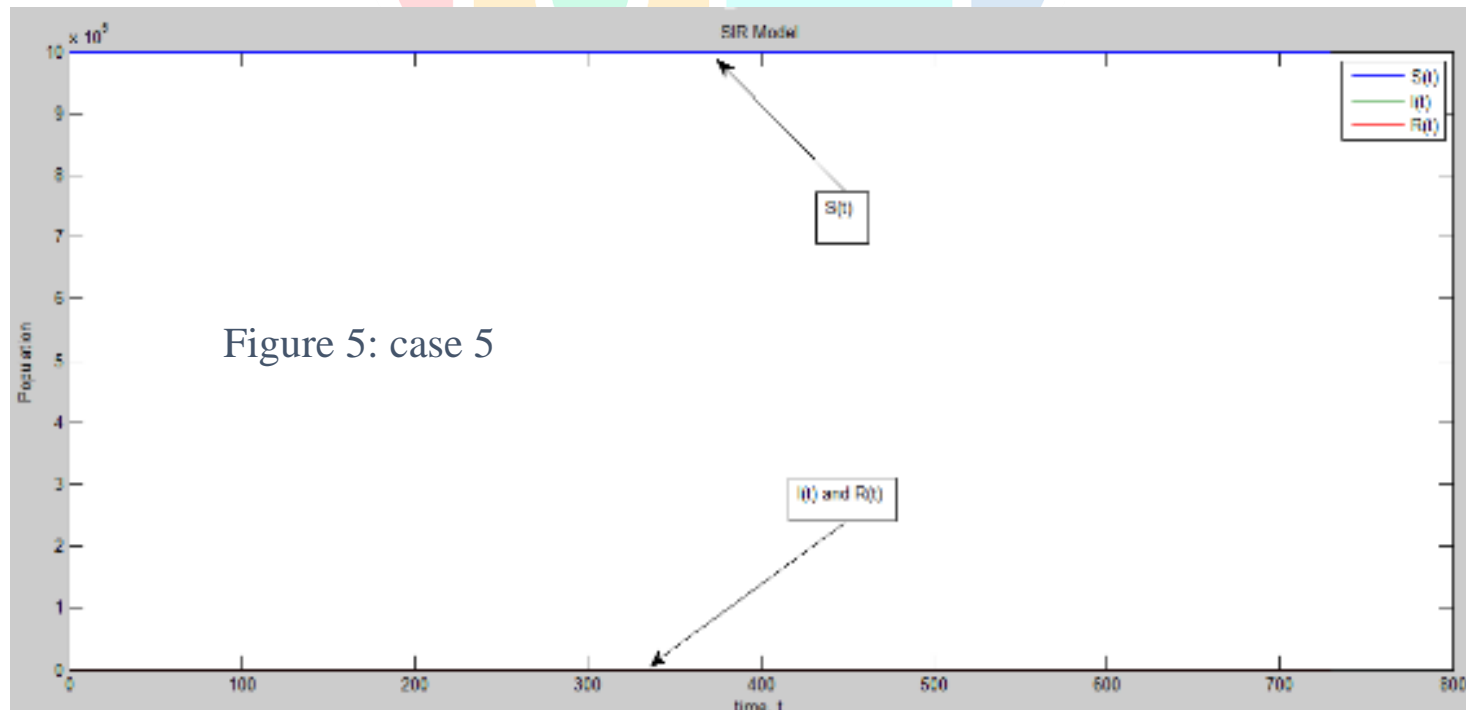
Max I : 7.0759e+04



# Results and Discussion

	a	b	R0	Never infected%	Infected then recovered%	Infected then died%	Peak time
<b>Case 5</b>	2.4 hours/ 0.100	enough wearing masks or taking any health measurements/ 0.7	0.98	99.967	0.0303	0.002	The first day

Max I : 10



# Results and Discussion

So, imposing quarantine, social distancing and strict health measurements reduce the value of  $R_0$ , therefore reduce the spread of the pandemic and increase the number of people who are never infected, which is compatible with the literature.

Figure 6 represents the percentage of people who are never infected, recovered and dead depending on the values of  $R_0$ .

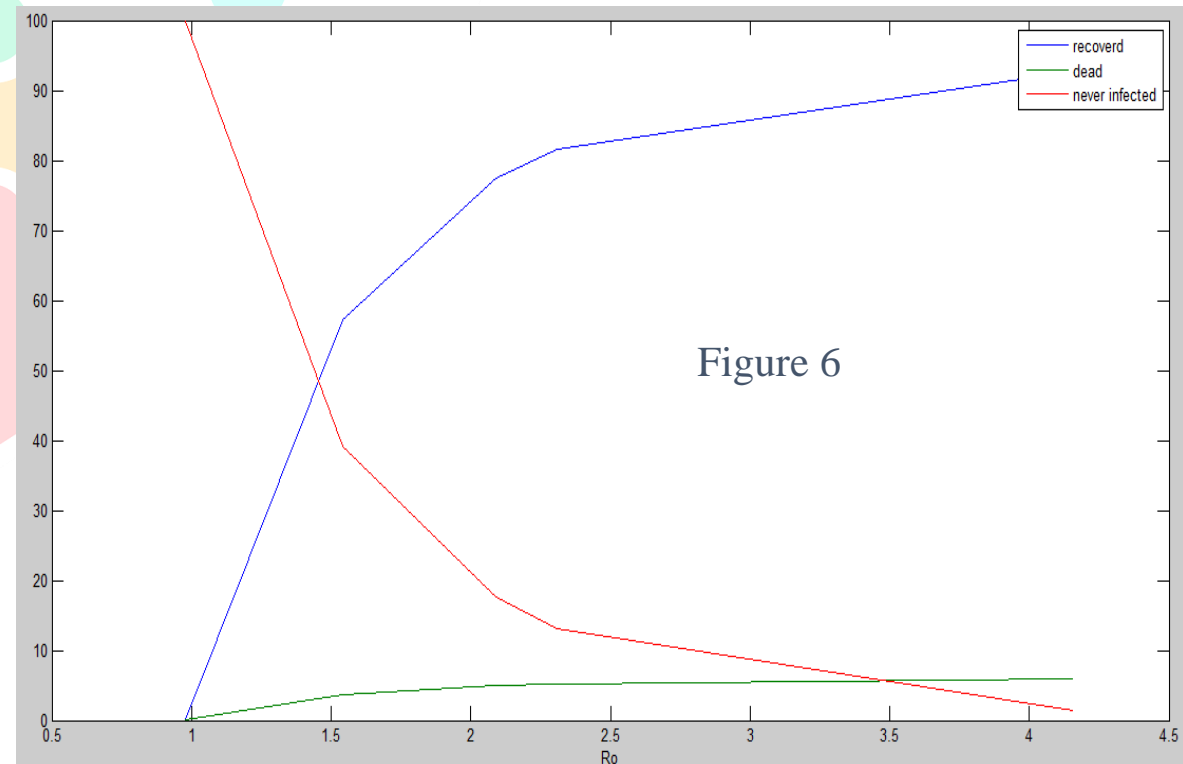


Figure 6



# References

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- [5] Yeghikyan, 2020. Urban policy in the time of Coronavirus. Published in February 03, 2020. Accessed in March 07, 2020. <https://lexparsimon.github.io/coronavirus/>
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Thank you for your attention :D